Today, a father is 2 years older than triple his son's age. Five years ago, the product of their ages was 420. How (2) Unknowns ages old is the father now?
(2) 2 Timelines

| Dad's age | Present | Past (-s) |
| :---: | :---: | :---: |
| Sori's age | $3 x+2$ | $3 x-3$ |

Today, a mother's age is two years more than double her son's age. In ten years, the product of their ages will be 2040. How old are they today?


## The Quadratic Formula

The area of this figure is equal to $103.75 \mathrm{~cm}^{2}$.
Determine the aumerical length of each side.

$31 x^{2}+26 x-5=103.75$
$31 x^{2}+26 x-108.75=0$

$$
31 x^{2}+26 x-108.75=0 \quad \begin{aligned}
& m \times n=-3371.25 \\
& m+n=26
\end{aligned}
$$

The quadratic formula provides a solution to any quadratic (second-degree) equation of the form...

$$
a x^{2}+b x+c=0
$$

$$
x=\frac{-b \pm \sqrt{b^{2}-4 a c}}{2 a}
$$

Example: $a x^{2}+b x+c=0$

$$
\begin{aligned}
& 31 x^{2}+26 x-108.75=0 \\
& x=\frac{-26 \pm \sqrt{\left(26^{2}-4(31)(-108.75)\right.}}{2(31)=6^{2}}=14|6|
\end{aligned}
$$

$$
\begin{gathered}
x=\frac{-26 \pm \sqrt{14161}}{62}=\frac{119}{62} \\
1 \quad x_{1}=\frac{-26+119}{62} \\
x=\frac{93}{62}=1.5 \\
\therefore \quad x_{2}=\frac{-26-119}{62} \\
\therefore x=1.5
\end{gathered}
$$



Example:
Solve $15 x^{2}-2 x-8=0$ fringormula
$x=\frac{-b \pm \sqrt{b^{2}-4 a c^{2}}}{2 a}$

$$
x=\frac{2 \pm \sqrt{(-2)^{2}-4(15)(-8)}}{2(15)}=4-4(15)(-8)
$$

$x=\frac{2 \pm \sqrt{4+480}}{30}$
$x=\frac{2 \pm \sqrt{484}}{30}$
$x=\frac{2 \pm 22}{30}$

$$
x=\frac{2+22}{30}=\frac{24}{30}=\frac{4}{5} \quad \text { or } \quad x=\frac{2-22}{30}=\frac{-20}{30}=-\frac{2}{3}
$$

